

Placement Exam Scores

Scores were gathered on a mathematics placement exam consisting of 20 questions taken by $n = 213$ students. The frequency table is reproduced below. The mean score on this exam is $\bar{x} = 10.221$ points. The standard deviation of the exam scores is $s = 3.859$ points.

Score	1	2	3	4	5	6	7	8	9	10
Count	1	1	5	7	12	13	16	15	17	32
Score	11	12	13	14	15	16	17	18	19	
Count	17	21	12	16	8	4	7	5	4	



Is this a histogram or bar chart? How can you tell?

- Does this distribution appear to be roughly symmetrical and mound-shaped?
- What placement scores are within one standard deviation of the mean?
- How many students had a score within one standard deviation of the mean?
What is the proportion of students within one standard deviation of the mean?

d) What about within TWO standard deviations of the mean?

$$\text{Mean} - 2 \times \text{SD} = 2.503$$

$$\text{Mean} + 2 \times \text{SD} = 17.939$$

(Hint, it's faster to find which scores DON'T fall within two SDs and subtract from the student total of 213)

Number of scores:

Proportion of total scores:

e) What about within THREE standard deviations of the mean?

$$\text{Mean} - 2 \times \text{SD} = -1.356$$

$$\text{Mean} + 2 \times \text{SD} = 21.798$$

(Hint, it's faster to find which scores DON'T fall within two SDs and subtract from the student total of 213)

Number of scores:

Proportion of total scores:

Do you think the 68/95/99.7 empirical rule would work well for a dataset with an irregular distribution?
Why or why not?

